

OPTICAL RESPONSE OF MATERIALS

- In a common spectroscopy experiment where monochromatic electromagnetic radiation (plane wave) probes a material

$$E(\mathbf{x}, t) = E_0 e^{i(\tilde{\mathbf{q}} \cdot \mathbf{x} - \omega t)}$$

- Upon solving the Maxwell's equations, we find **All PROPERTIES OF THE MATERIAL are enclosed within the COMPLEX DIELECTRIC FUNCTION OR COMPLEX REFRACTIVE INDEX.**
- The ABSORPTION COEFFICIENT is related to the IMAGINARY PART OF THE REFRACTIVE INDEX (or of dielectric constant).**
- The **IMAGINARY PART OF THE REFRACTIVE INDEX (k)** is responsible for **ABSORPTION PHENOMENA,**

$$E(\mathbf{x}, t) = E_0 e^{i\left[\frac{\omega}{c} \mathbf{n} \cdot \mathbf{x} - \omega t\right]} e^{-\frac{\omega}{c} k \cdot \mathbf{x}} \quad \tilde{\mathbf{q}} = \frac{\omega}{c} (\mathbf{n} + i\mathbf{k}) \quad \tilde{\mathbf{n}} = \mathbf{n} + i\mathbf{k}$$

- The **REAL PART (n)** is responsible for **PROPAGATION PHENOMENA** within the medium (**optical path = $\mathbf{n} \cdot \mathbf{x}$**).

OPTICAL RESPONSE OF MATERIALS

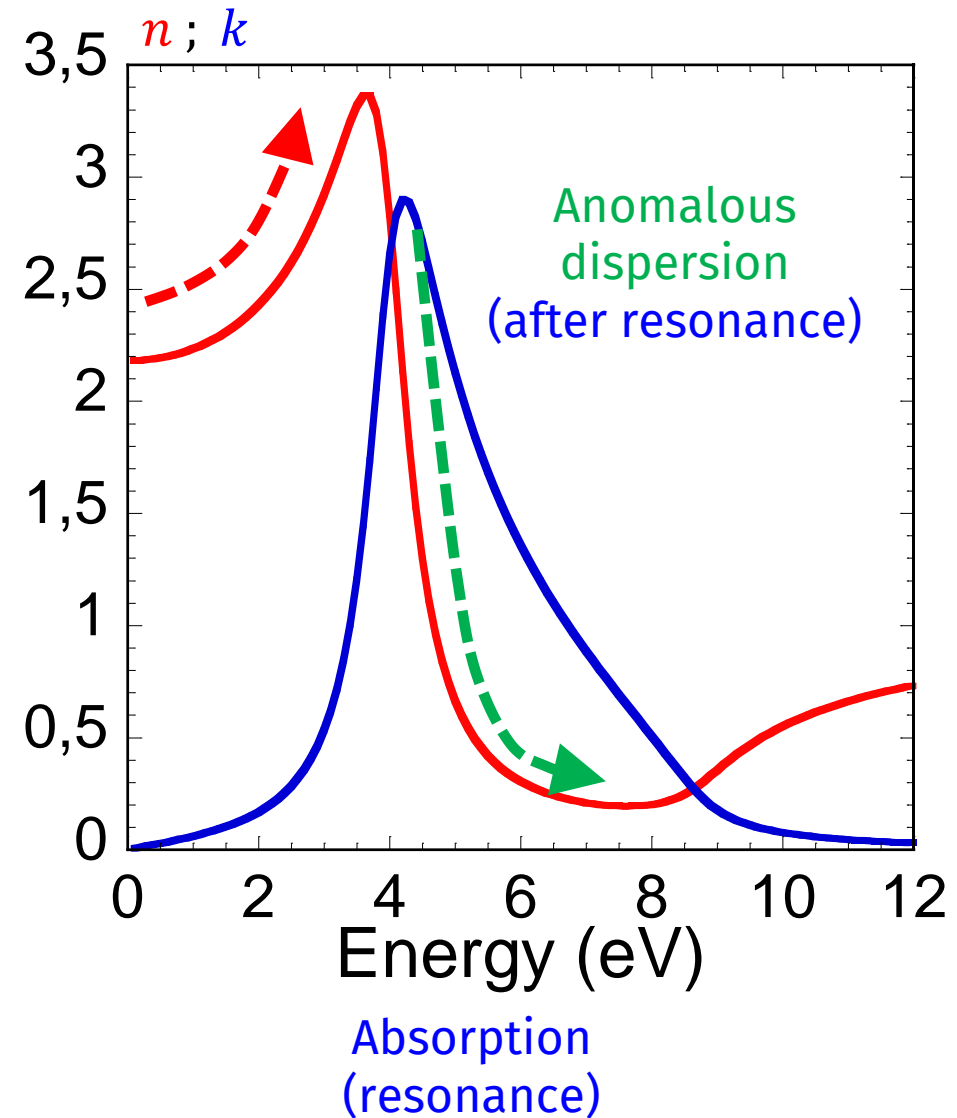
Normal dispersion
(transparent)

$$\varepsilon_1(\omega) = n^2 - k^2$$

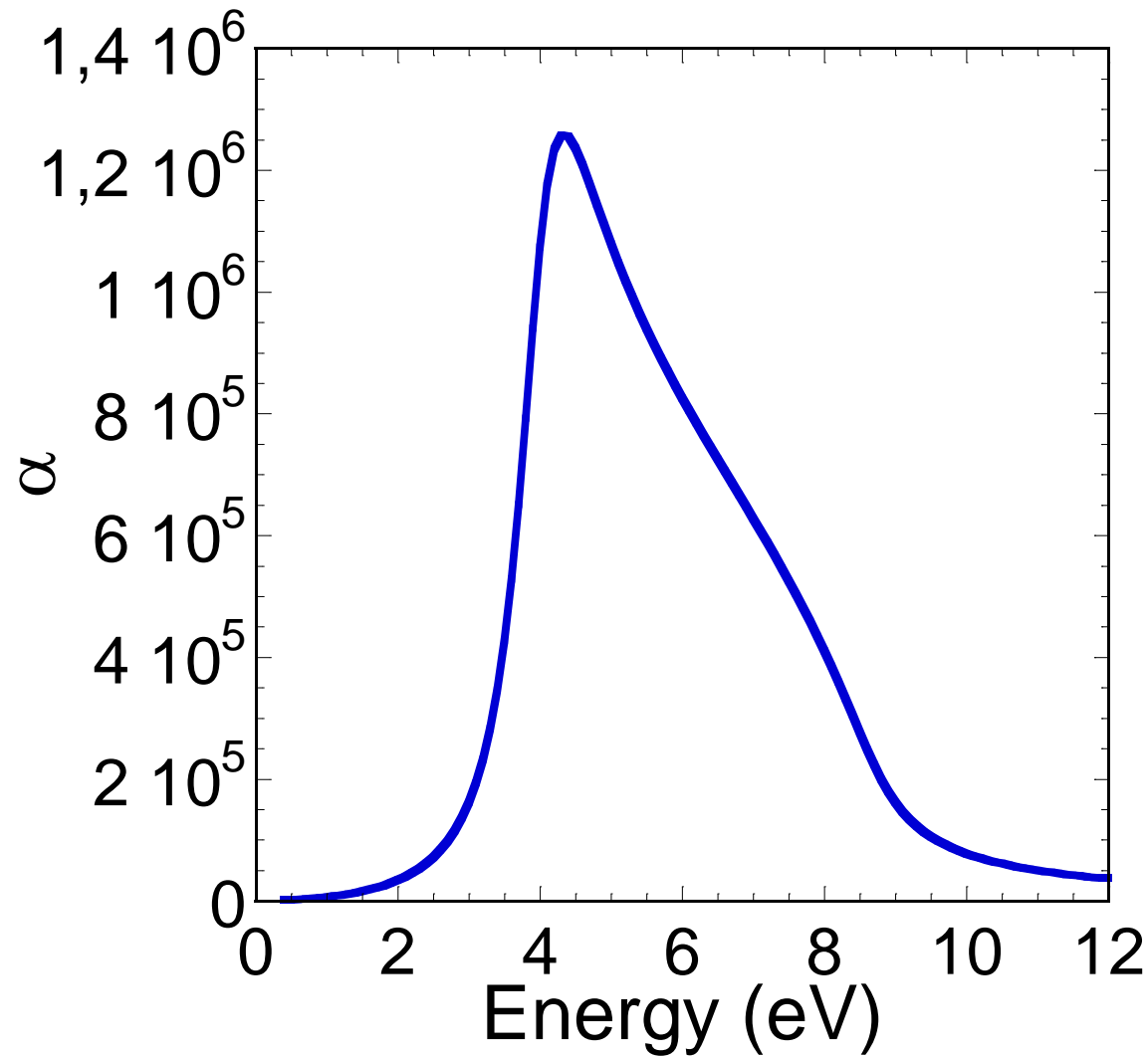
$$\varepsilon_2(\omega) = 2nk$$

$$n = \sqrt{\frac{1}{2} \left(\sqrt{\varepsilon_1^2 + \varepsilon_2^2} + \varepsilon_1 \right)}$$

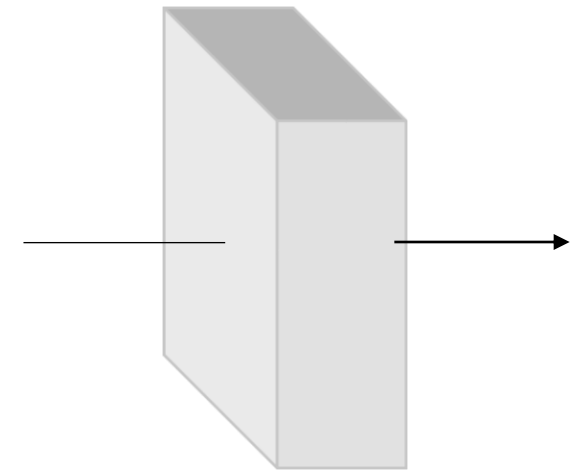
$$k = \sqrt{\frac{1}{2} \left(\sqrt{\varepsilon_1^2 + \varepsilon_2^2} - \varepsilon_1 \right)}$$



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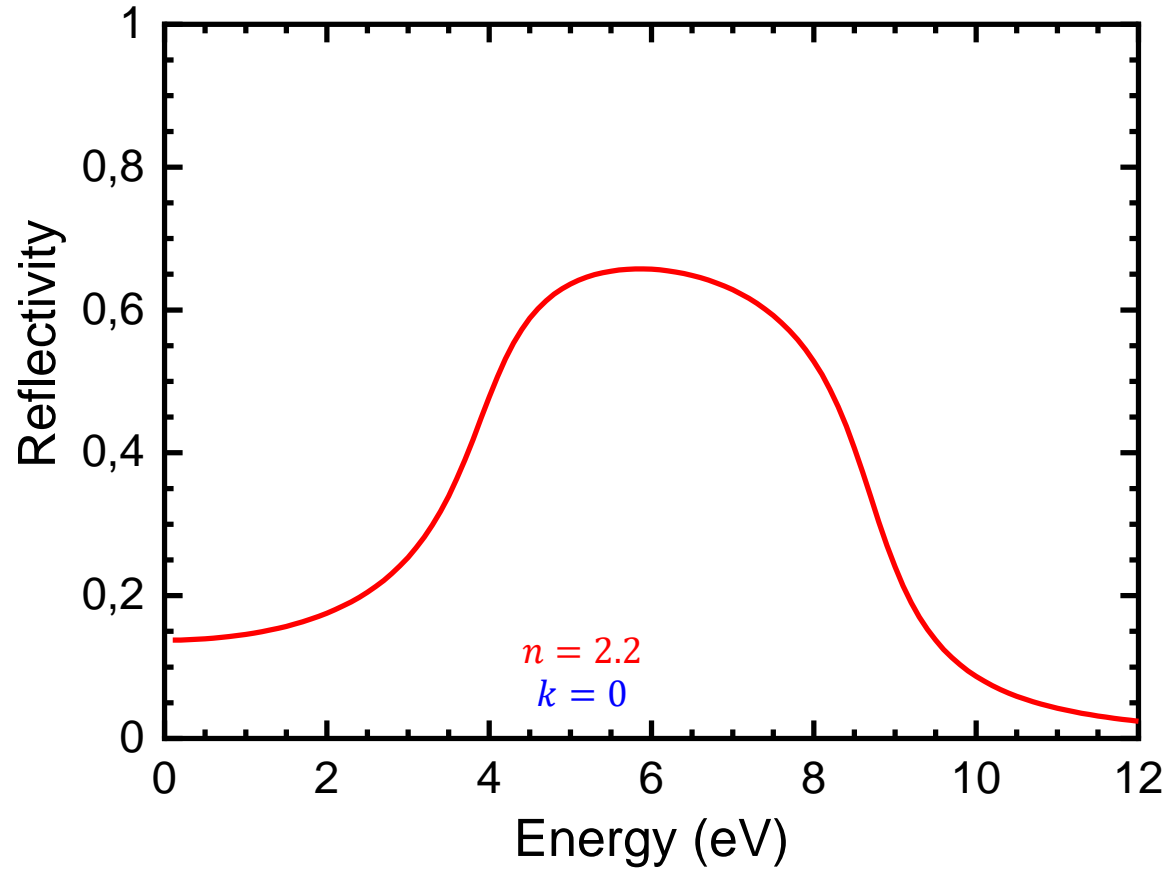


$$\alpha = -\frac{1}{I} \frac{dI}{dx} = 2 \frac{\omega}{c} k$$



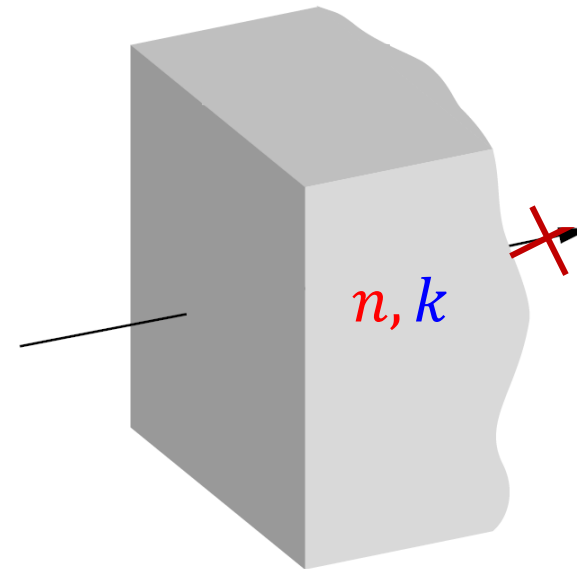
$$I_t = I_0 e^{-\alpha d} \quad T = I_t / I_0 = e^{-\alpha d}$$

OPTICAL RESPONSE OF MATERIALS



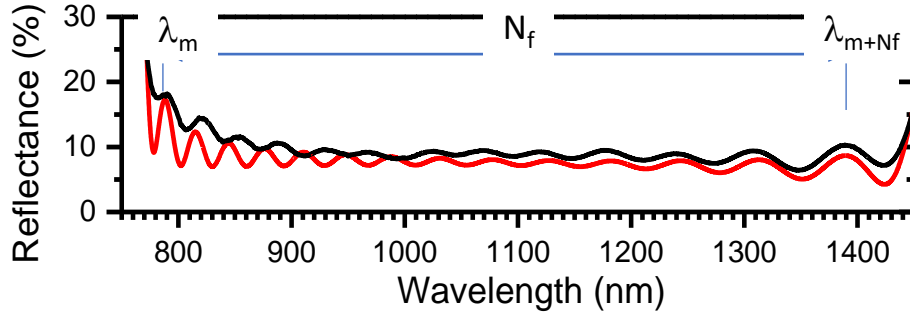
$$R = \frac{(n - 1)^2 + k^2}{(n + 1)^2 + k^2}$$

(semi-infinite slab)



REFRACTIVE INDEX DETERMINATION

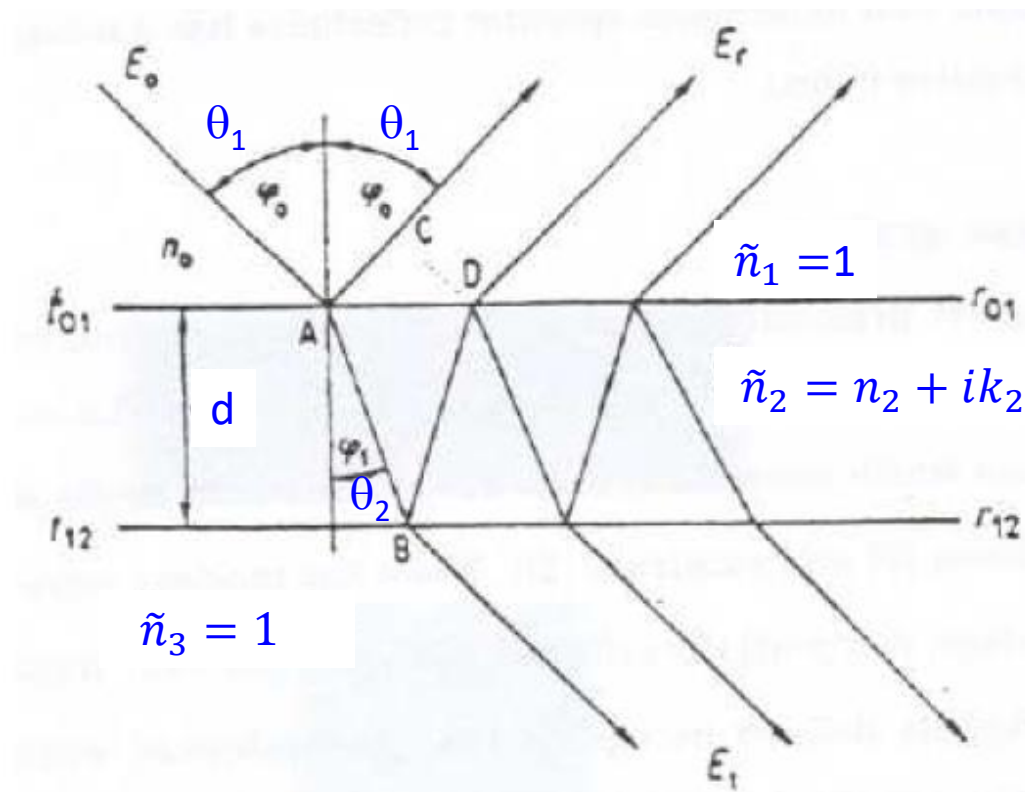
- Transparent region: interference fringes



$$2nd = N_f \frac{\lambda_m \lambda_{m+N_f}}{(\lambda_m - \lambda_{m+N_f})}$$

$$\tilde{n}_2 = n + i0$$

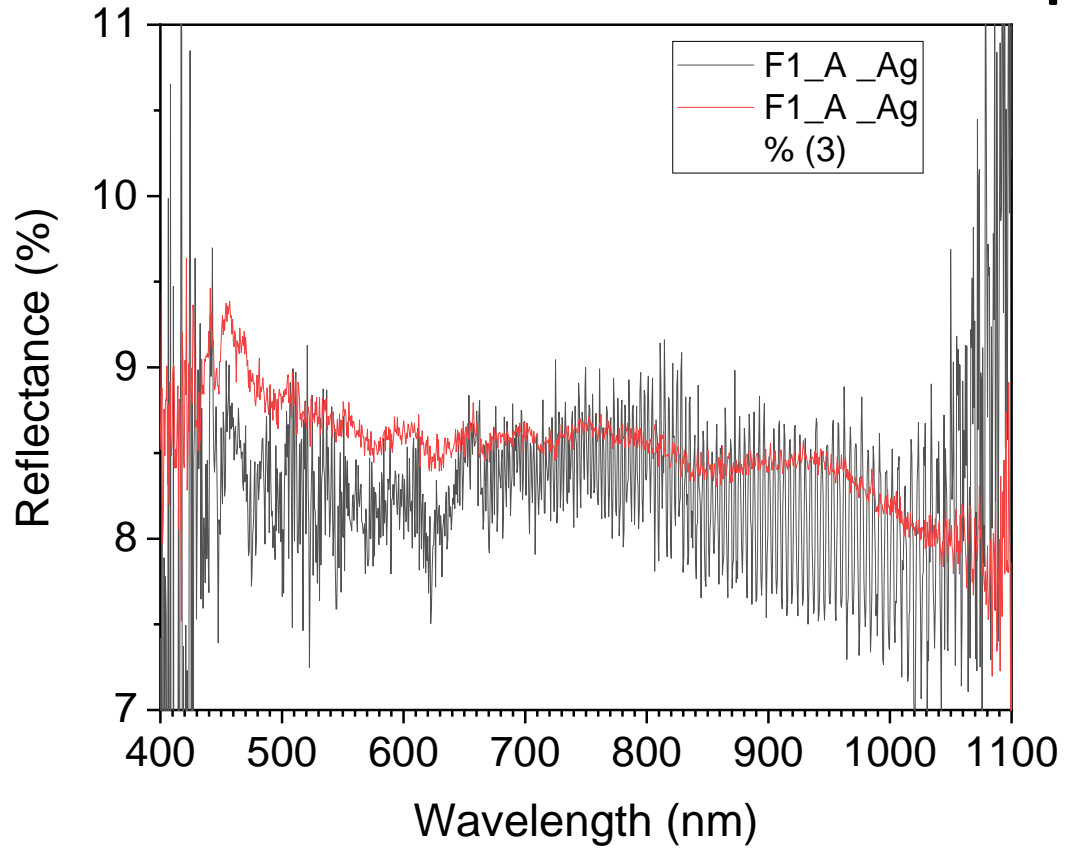
We assume the material to be perfectly transparent, i.e. the imaginary part of the refractive index is negligible, $k=0$



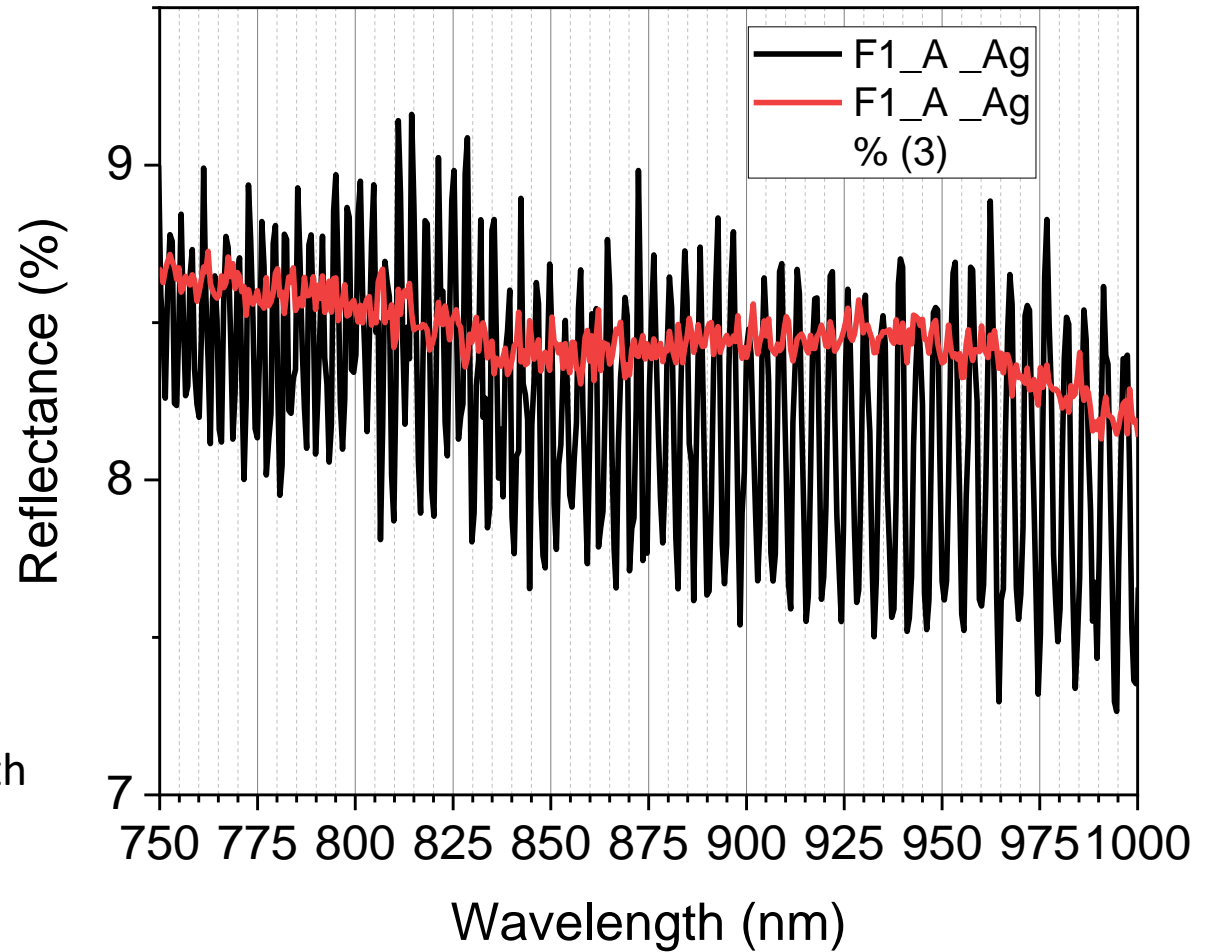
d = film thickness

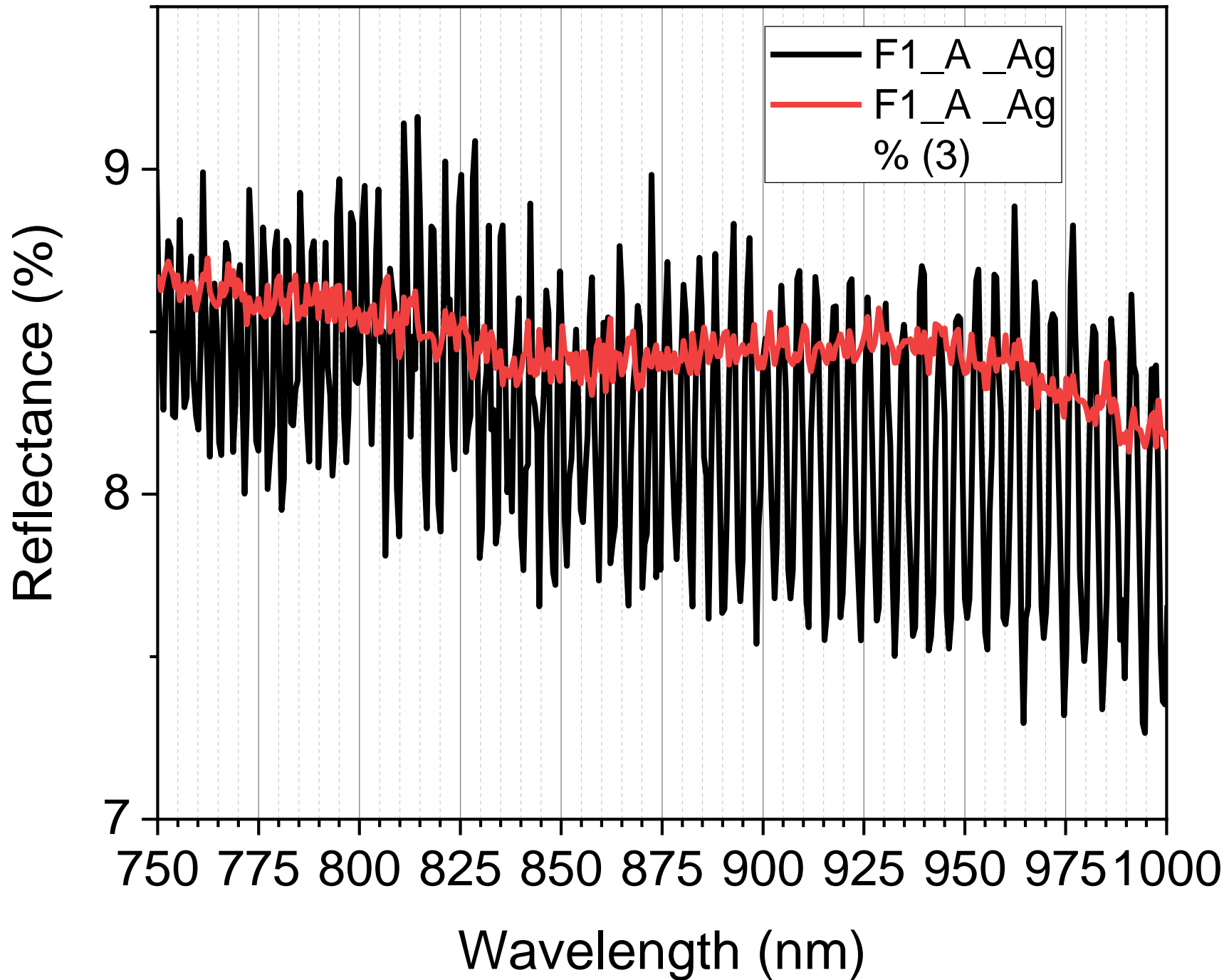
N_f , number of fringes

Frazione 1_A



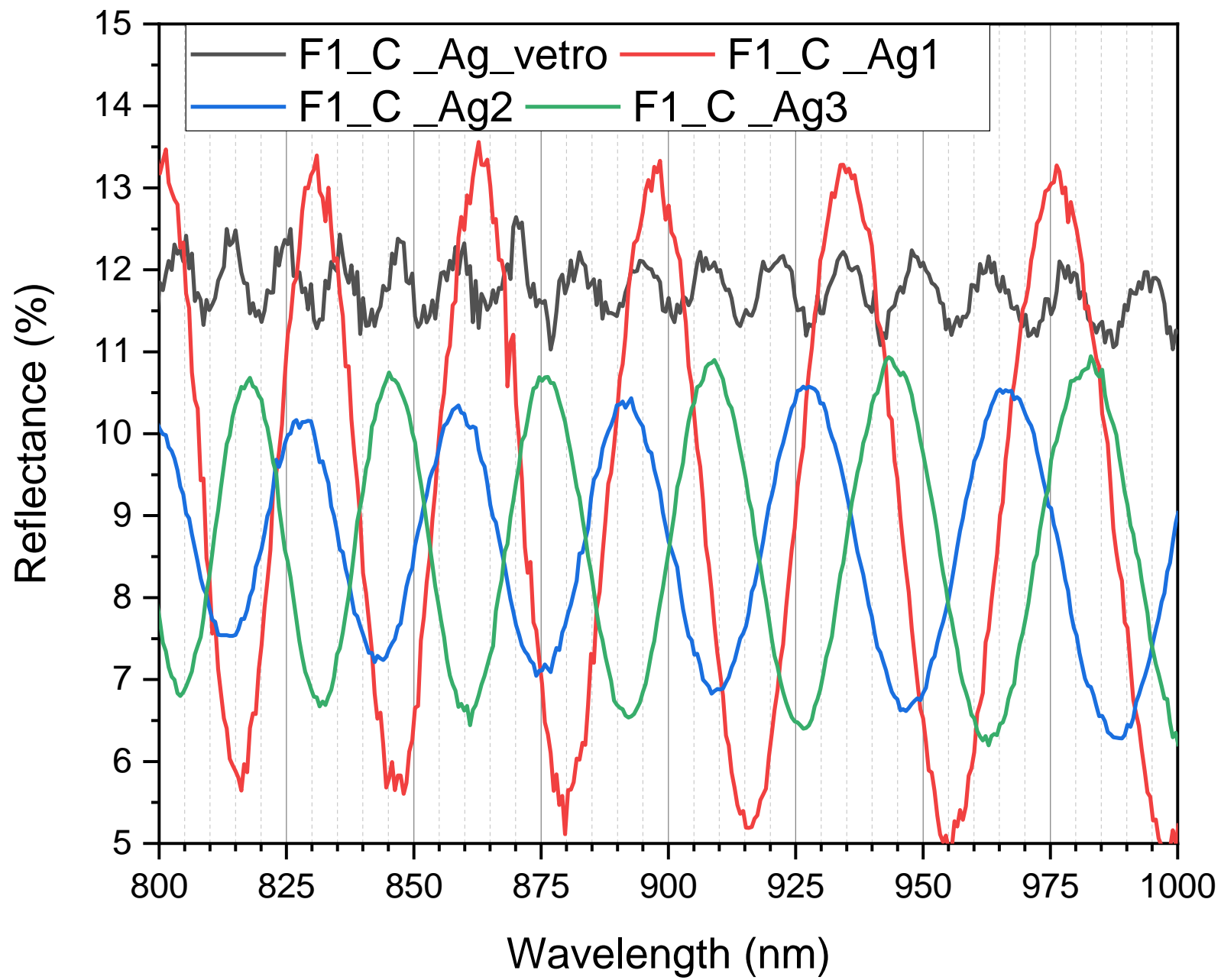
We assume $n=1.57-1.58$, independent on the wavelength



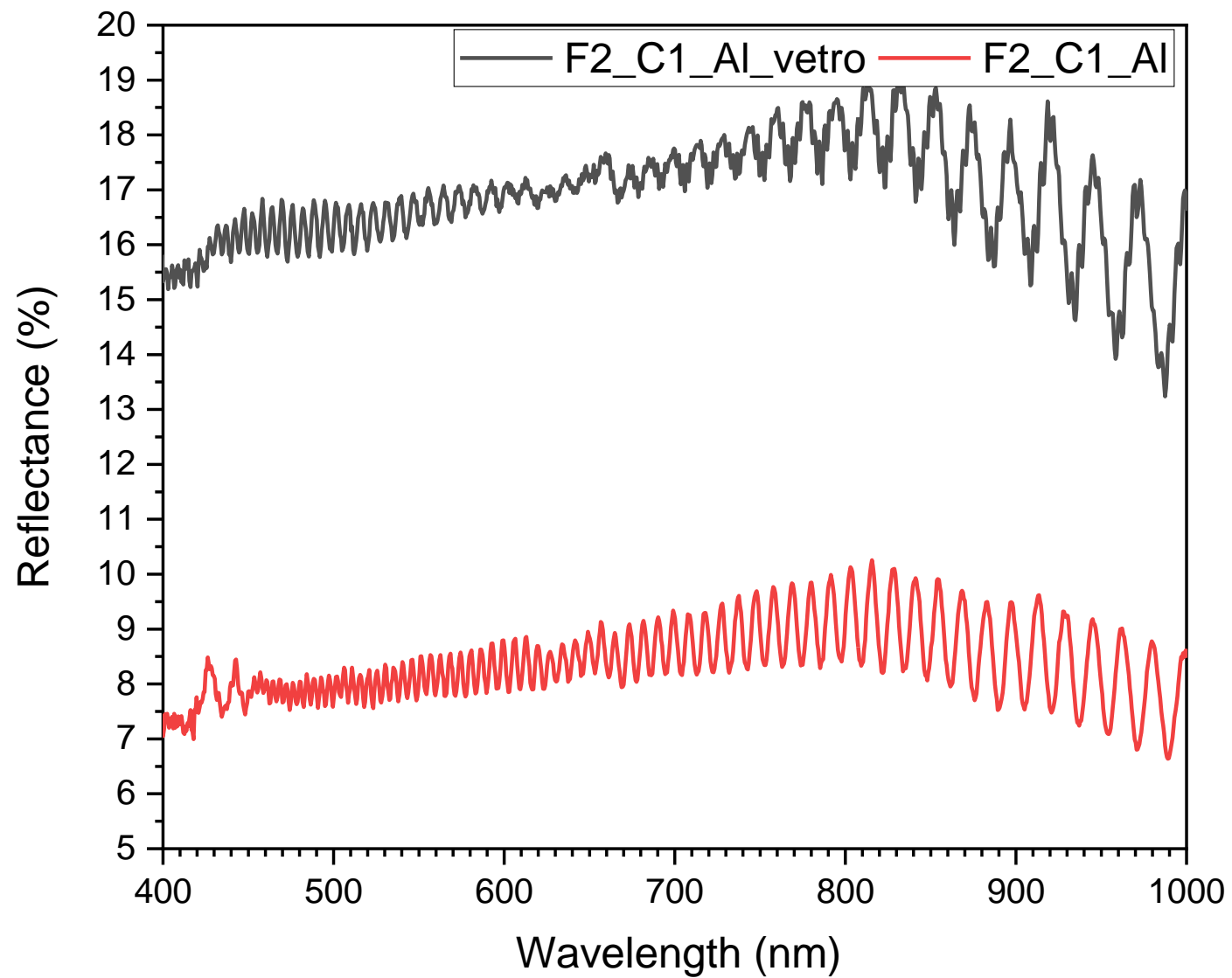


Frazione 1_A

Frazione 1_C



Frazione 2_C con riferimento Al



Frazione 2_C con riferimento Ag

